

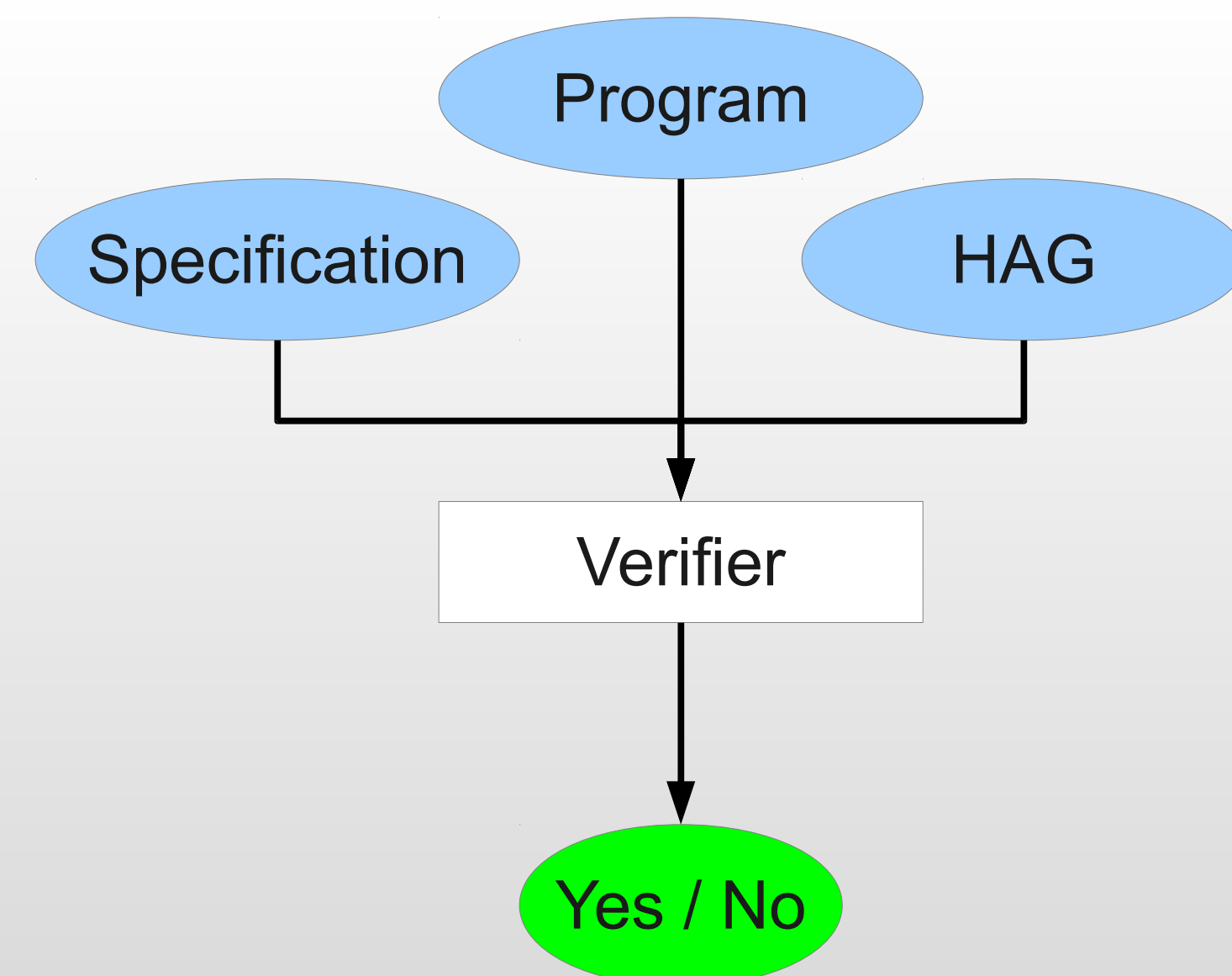
# Simplifying Verification of Unbounded Structures

Alexander Weinert

RWTH Aachen University

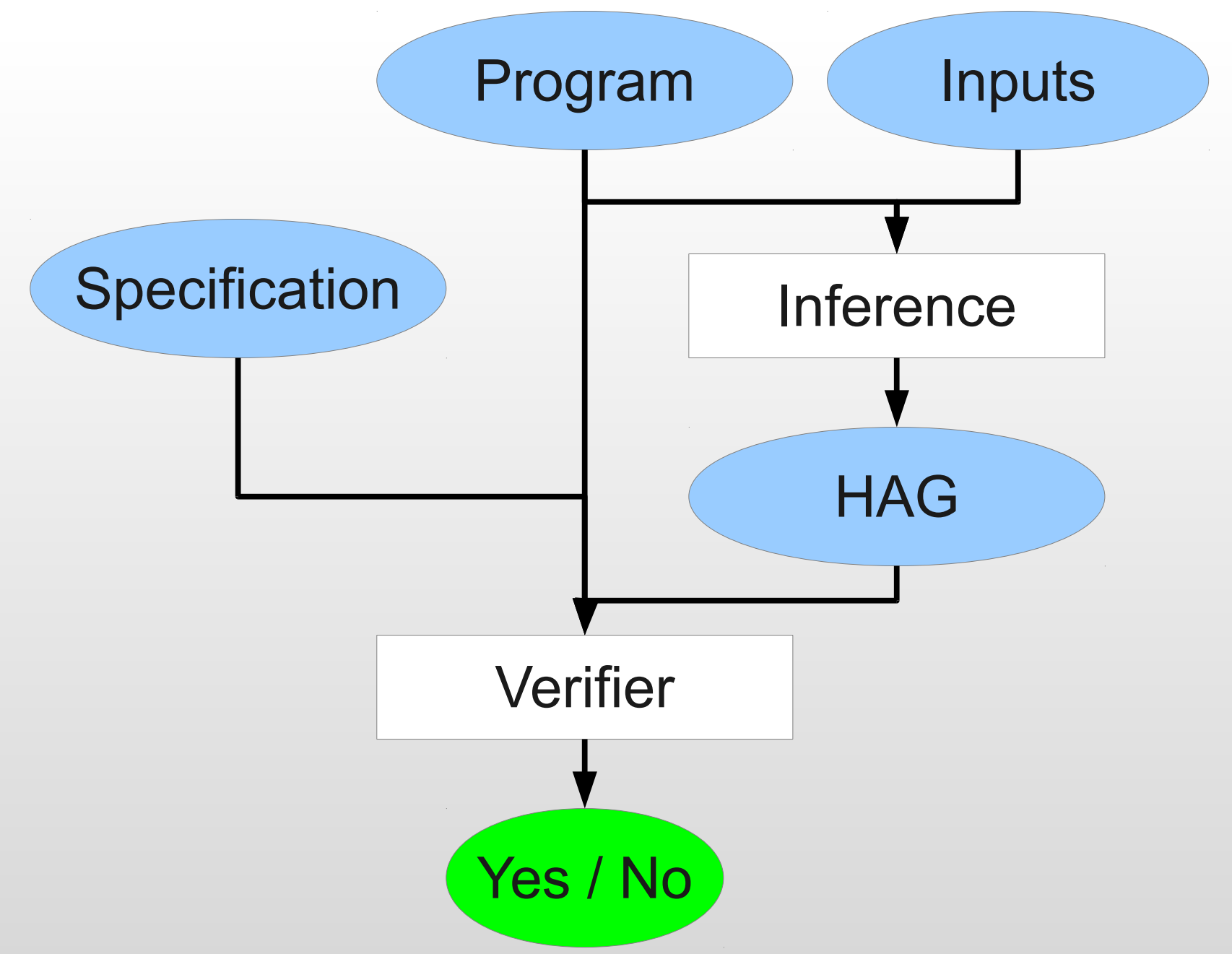
## Motivation

- Traditional Model Checking enumerated all states of a computation.
- Problem:** Fails when operating on unbounded heap memory.
- Solution:** Describe heap states as graphs, describe set of heap states as finite Heap Abstraction Grammar (HAG).



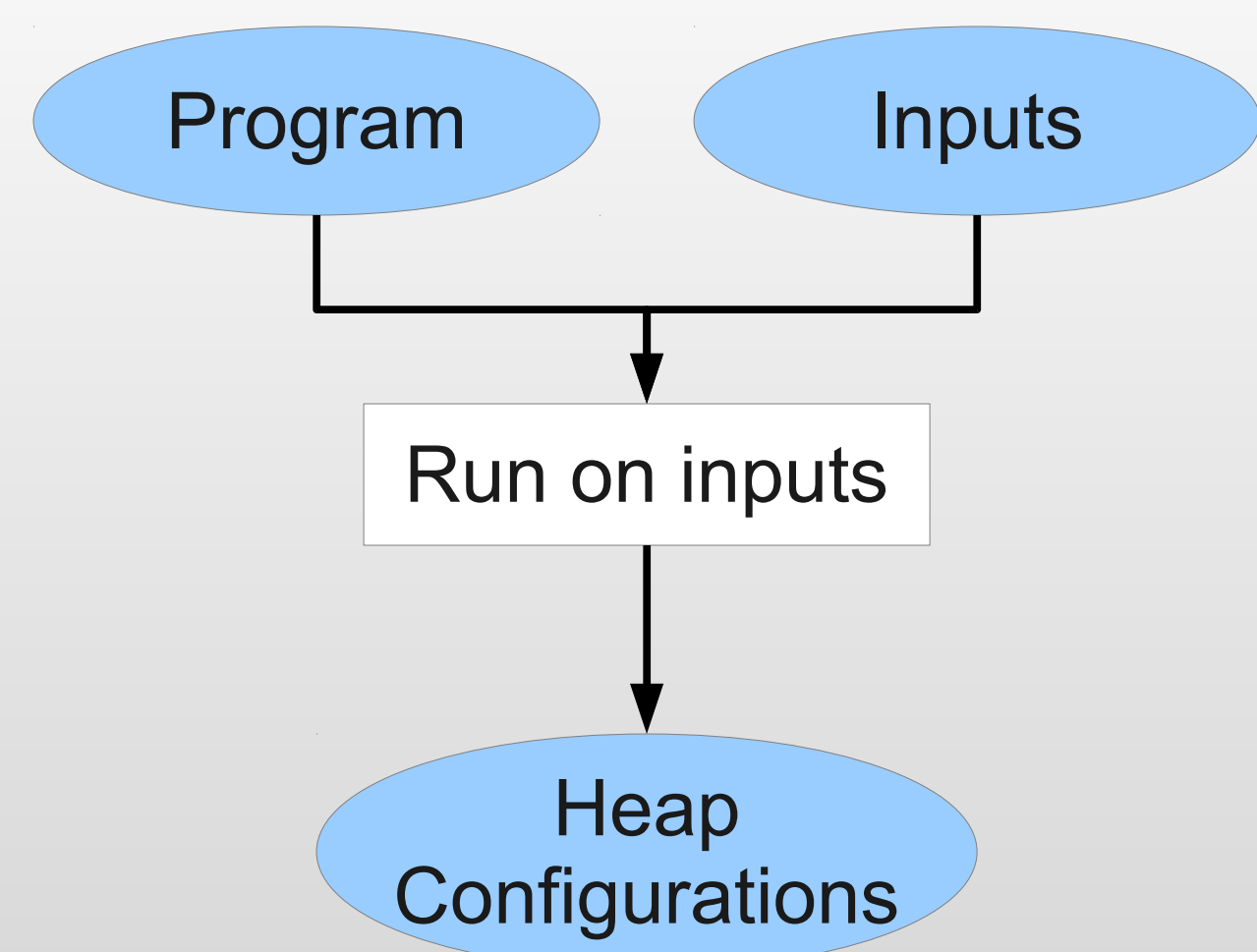
Current workflow for verification of unbounded heap structures

- New Problem:** Human verifier has to provide HAG. Can be unintuitive and cumbersome.
- Goal of this work:** Given a program and some inputs, automatically produce (*infer*) the HAG.



Desired workflow for verification of unbounded heap structures

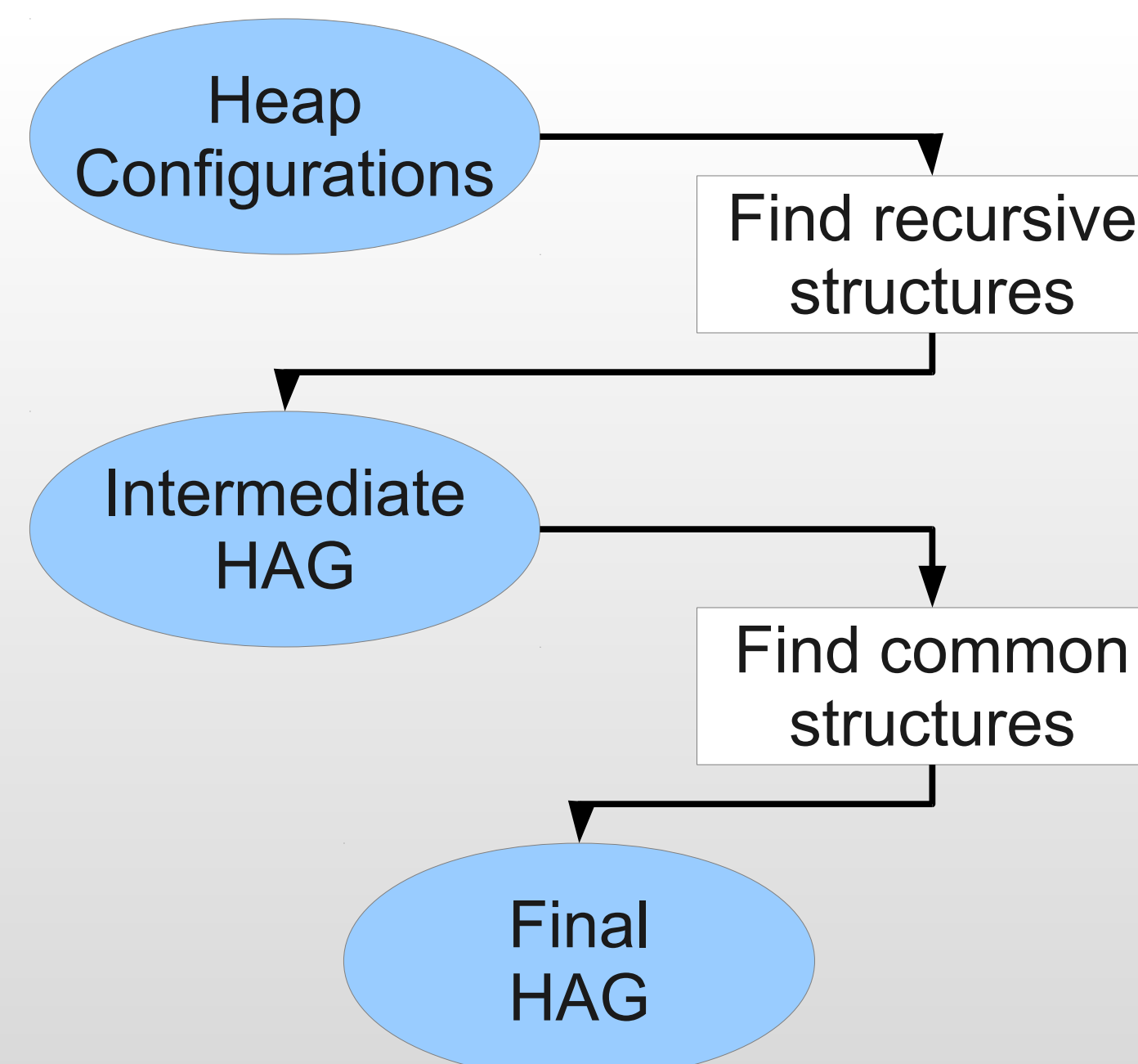
## Inference



Producing a set of heap configurations

### From a Program to Heap Configurations

- First step: Produce a set of heap configurations from the given program and its inputs.
- 1. Execute program on each of its inputs.
- 2. Save Heap Configuration after every step of execution.



Producing a HAG from a set of heap configurations

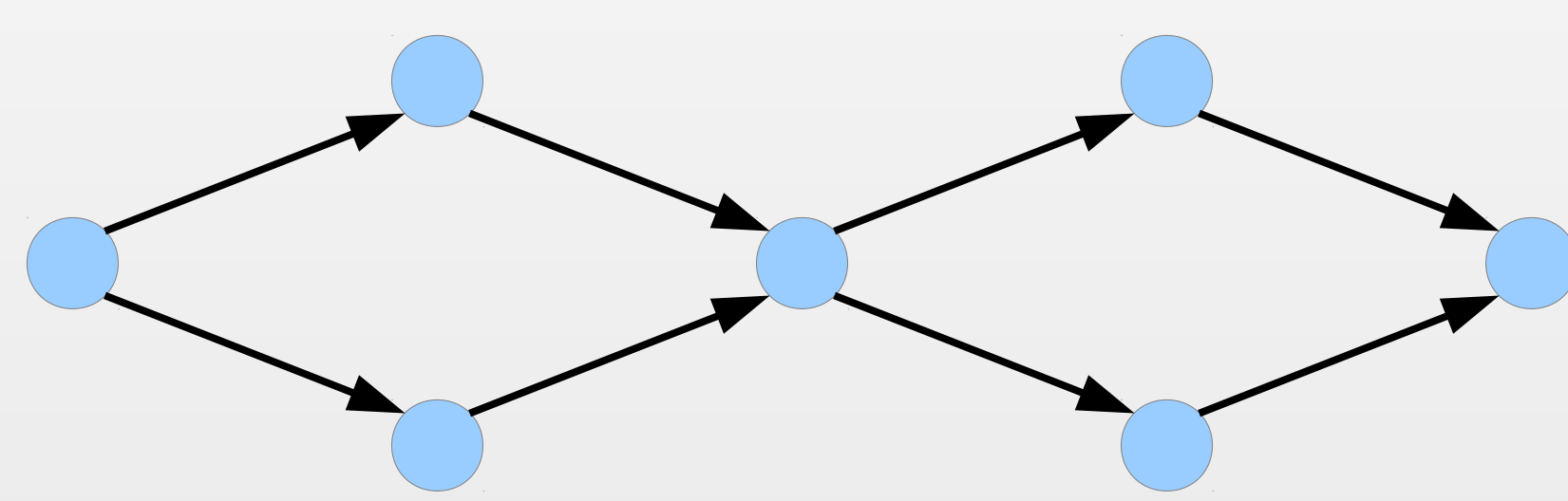
### From Heap Configurations to Grammar

- From a set of heap configurations, produce a grammar that describes *at least* the given set.
- 1. Summarize substructures that serve as evidence for a recursive datastructure.
- 2. Summarize structures that occur at multiple points in the configurations.

## Recursion

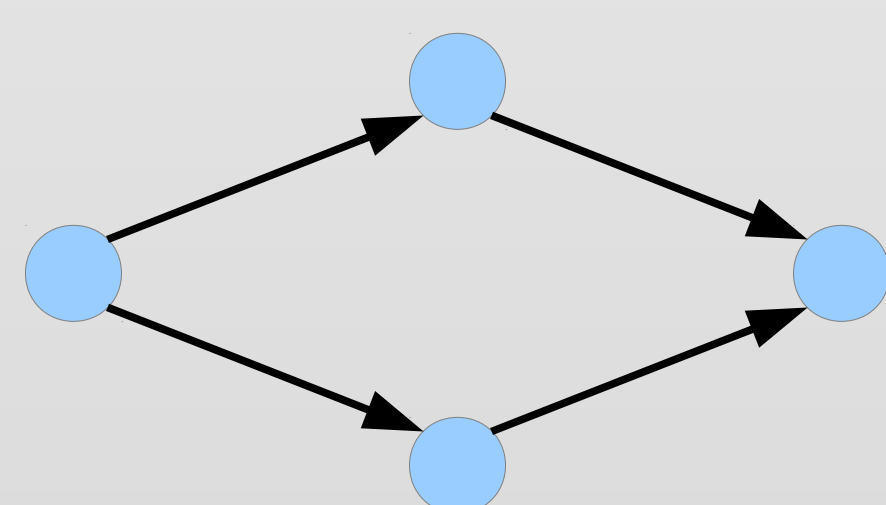
- Generalize observed behaviour of program by finding evidence for recursive data structure.

1. Find the same structure at two *overlapping* points in the graph.



Complete Structure

2. Check that complete structure is a *concatenation* of the substructure.

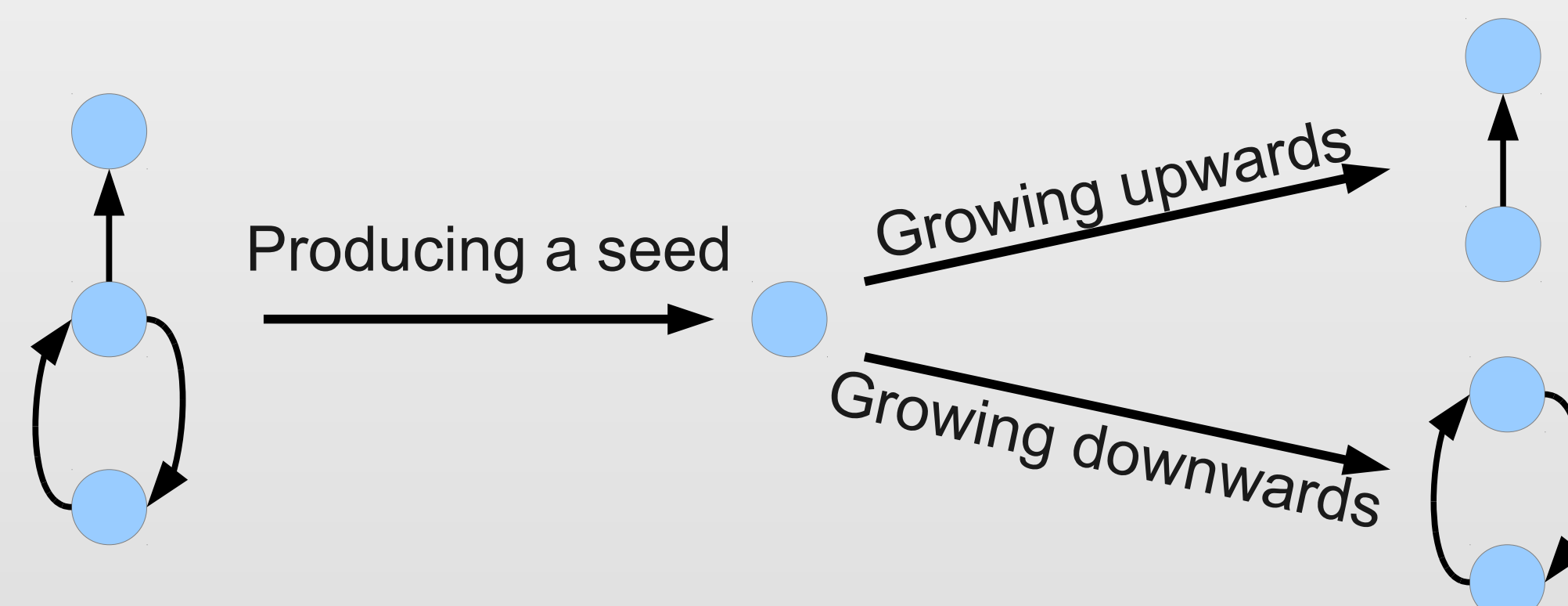


Substructure

3. Summarize all other occurrences of this structure in the graphs.
4. Add rules for concatenation of the structure of arbitrary length, analogous to string case.

## Common Structures

- Minimize intermediate HAG by finding structures occurring at multiple points in the grammar
- Problem:** Checking *all* subgraphs takes exponential time.
- Solution:** Grow only connected subgraphs



First steps of growing subgraphs

- Problem:** How to choose the subgraph to be summarized?
- Solution:**
  1. Define gain function that describes the space saved by a single summary.
  2. Maximize that function.

## Results

The resulting grammars for singly linked lists, circular singly linked lists and nested lists are the same as those written by a human verifier.

Nodes	Growing [ms]	Complete [ms]
50	285	305
100	642	682
200	2895	3028

Time needed for inferring a grammar for singly linked, non-circular lists

Out	In	Inner [ms]	Outer [ms]
2	4	31	16
4	4	394	11
5	4	2701	22

Time needed for inferring a grammar for nested lists. Out and In denote the number of outer and inner nodes, respectively

## Contact

Alexander Dominik Weinert,  
Email: alexander.weinert@rwth-aachen.de  
Online: www.mpi-sws.org/~aweinert

## References

- A. Weinert (2012). Inferring Heap Abstraction Grammars. Unpublished Bachelor's Thesis. RWTH Aachen University, Aachen.
- I. Jonyer, L. Holder, D. Cook (2004). MDL-Based Context-Free Graph Grammar Induction And Applications. International Journal on Artificial Intelligence Tools, 13(1):65 – 79.
- J. Heinen, T. Noll, S. Rieger (2009). Juggernaut: Graph Grammar Abstraction for Unbounded Heap Structures. Harnessing Theories for Tool Support in Software, 53 - 67.
- J. Heinen, C. Jansen, J.-P. Katoen, T. Noll (tbp). Juggernaut: Using Graph Grammars for Abstracting Unbounded Heap Structures